

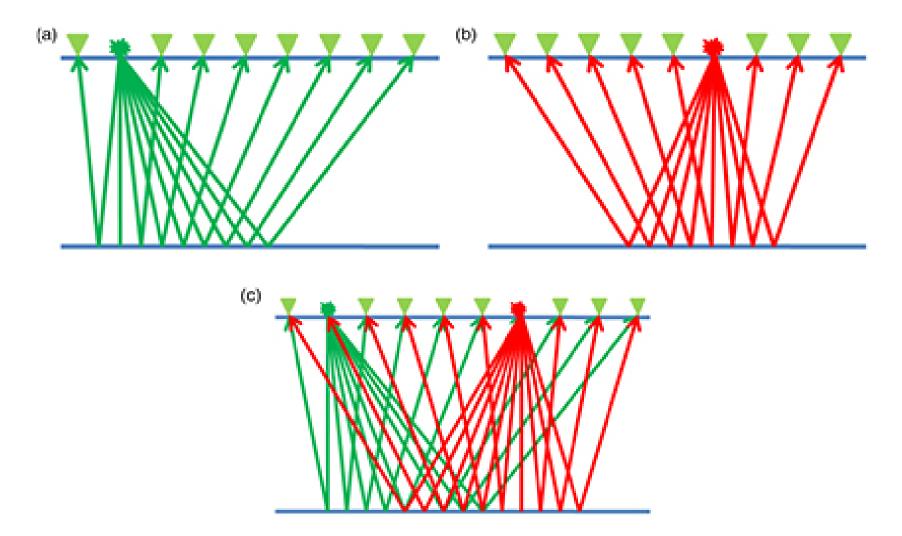
Deblending in CMP domain using Radon operators

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What is Blended data?



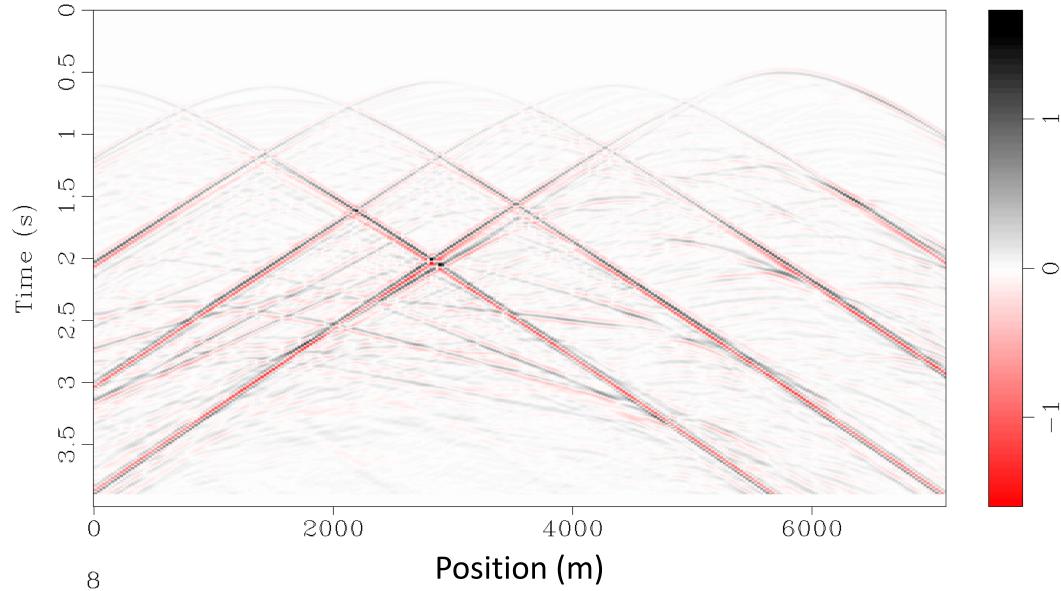
Journal of Geophysics and Engineering, Volume 12, Issue 2, April 2015, Pages 167–174, https://doi.org/10.1088/1742-2132/12/2/167

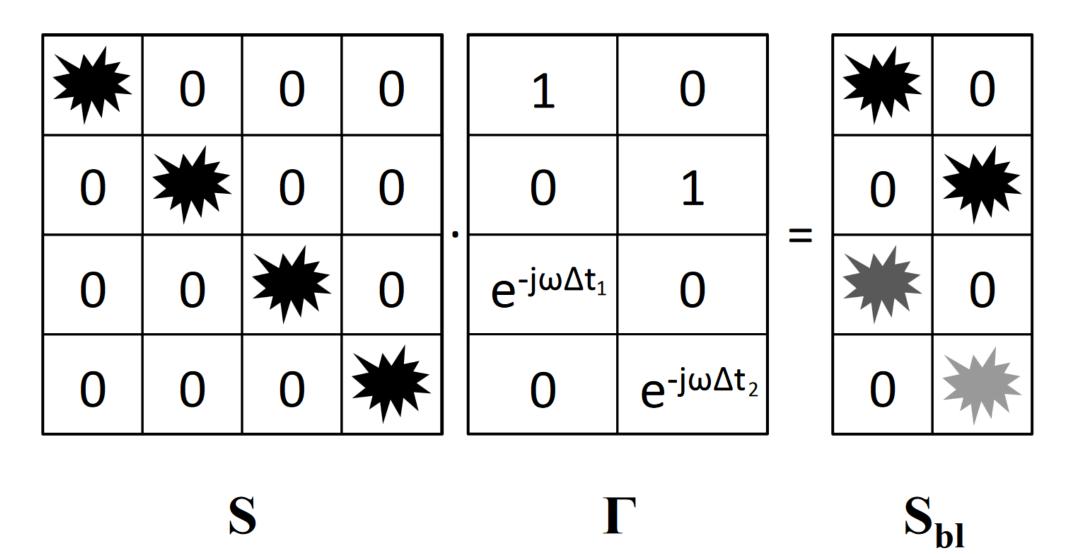
Standard acquisition

Marmousi shot \circ Ю. \bigcirc 0.5 $\overline{}$ Ω (s) $\overline{}$ \bigcirc Time \sim -Ω \sim LO \bigcirc က -Ω n, 4000 2000 6000 \cap Position (m) 8

Blended acquisition

Blended Marmousi shot





Urruticoechea, C. R., 2015, Seismic blending and deblending of crossline sources: M.Sc. thesis, Delft University of Technology.



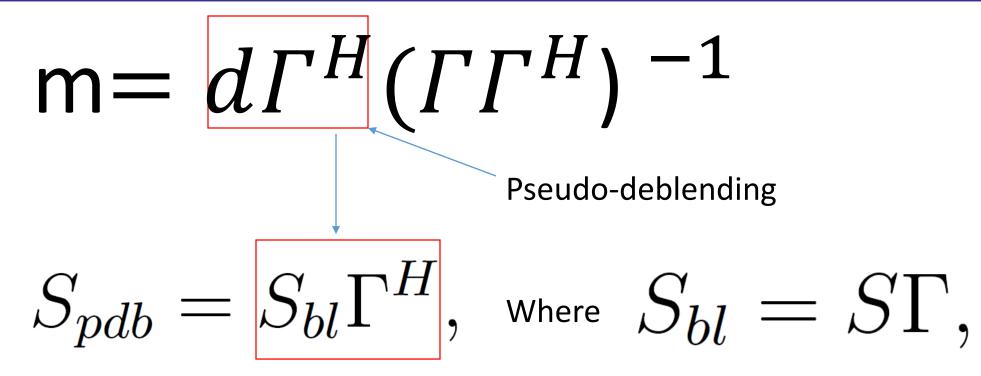
Forward model of Blending:

$d = m \Gamma$

Because the blending matrix Γ is underdetermined the direct inverse cannot be assessed

$$\mathbf{m} = d\Gamma^H (\Gamma \Gamma^H)^{-1}$$

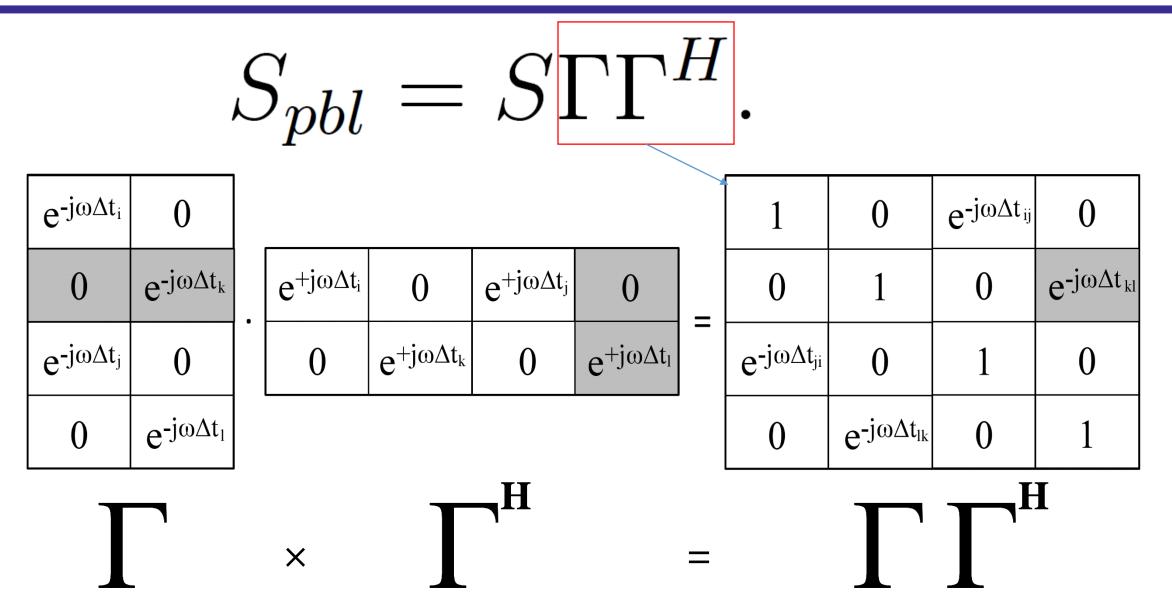
Effects of Pseudo Deblending



Therefore Pseudo deblending can be considered an operation on the pre-blended dataset:

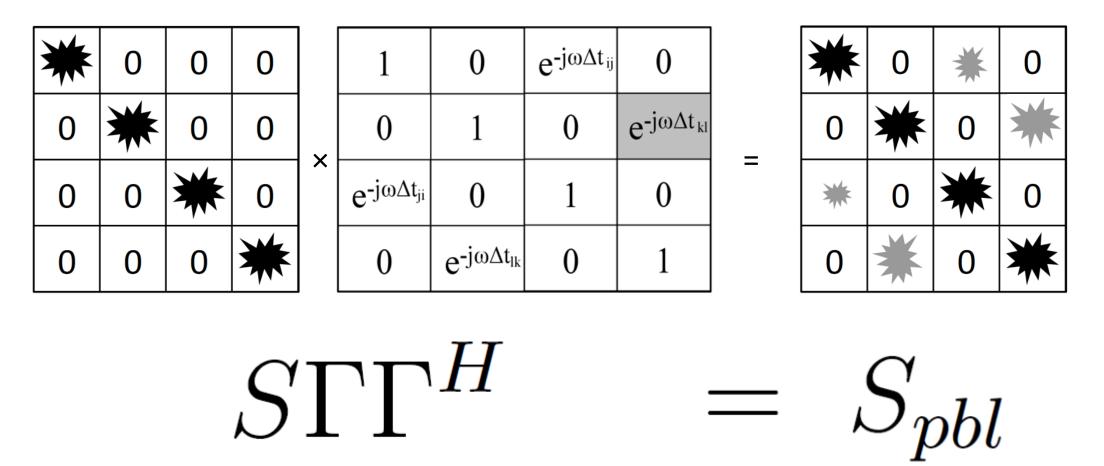
$$S_{pbl} = S\Gamma\Gamma^H.$$

Effect of Pseudo Deblending



Urruticoechea, C. R., 2015, Seismic blending and deblending of crossline sources: M.Sc. thesis, Delft University of Technology.



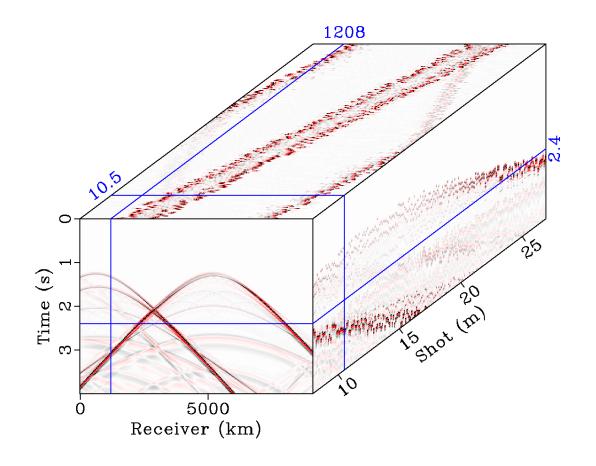


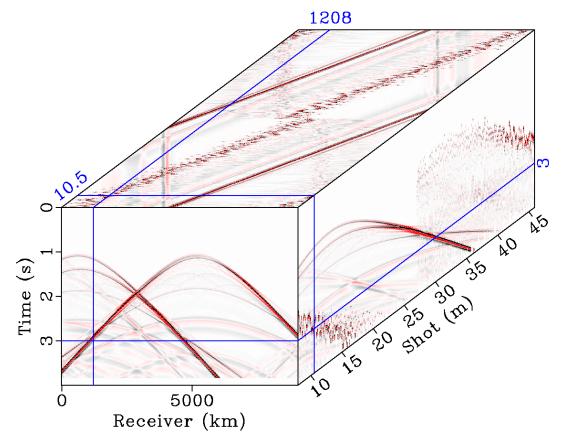
Urruticoechea, C. R., 2015, Seismic blending and deblending of crossline sources: M.Sc. thesis, Delft University of Technology.

Blending and the importance of time dithering

Blended Data

Pseudo Deblended Data

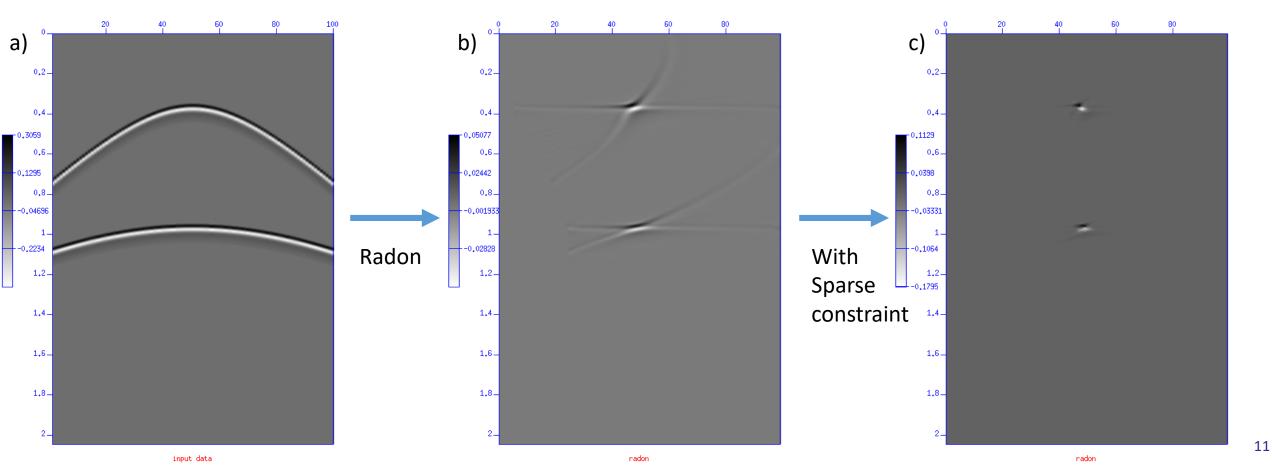




Sparse Hyperbolic Radon Transform

$$u(p,\tau) = \int_{h_1}^{h_2} d(h,t) = \sqrt{\tau^2 + p^2 h^2}) dh$$

where u(p,t) is the radon space data, p is the slowness, t is the two way travel time, <u>h1</u> is the upper offset limit, <u>h2</u> the lower offset limit, and d is the data space to be transformed. The slowness p is then defined as the inverse of velocity 1/V.



Denoising vs Inversion

Radon Denoising

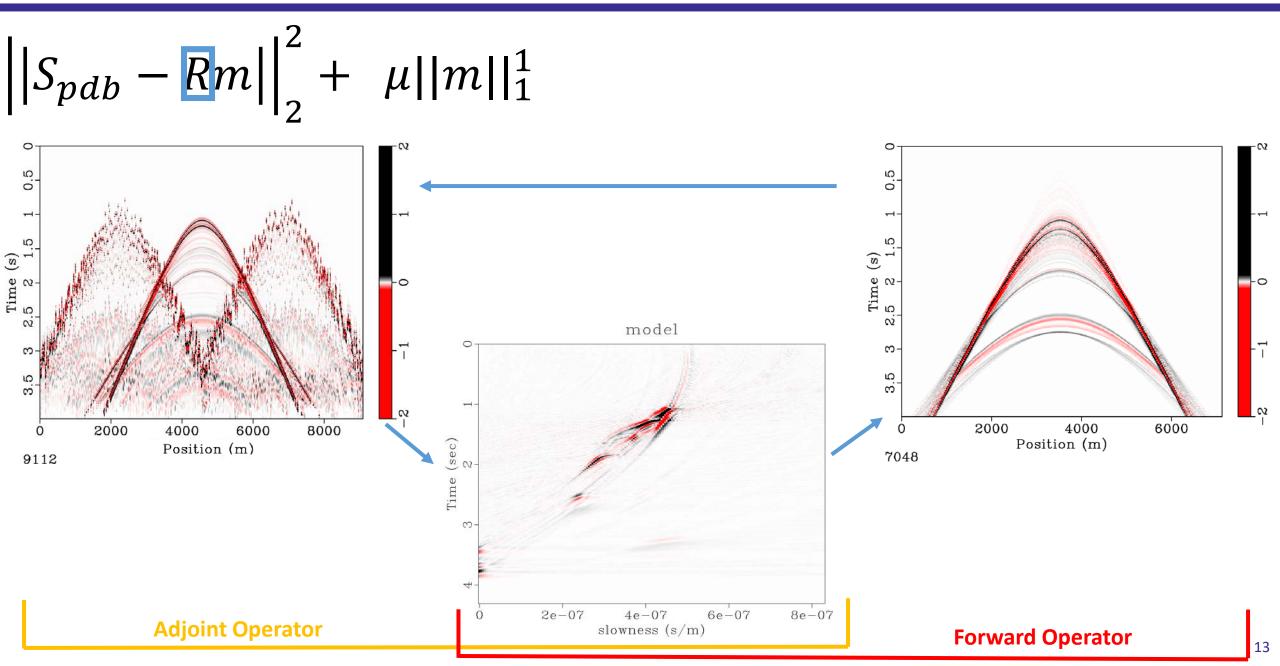
$$S_{pdb} = S_{bl} \Gamma^{H}$$

$$\left| S_{pdb} - Rm \right|_{2}^{2} + \mu ||m||_{1}^{1}$$

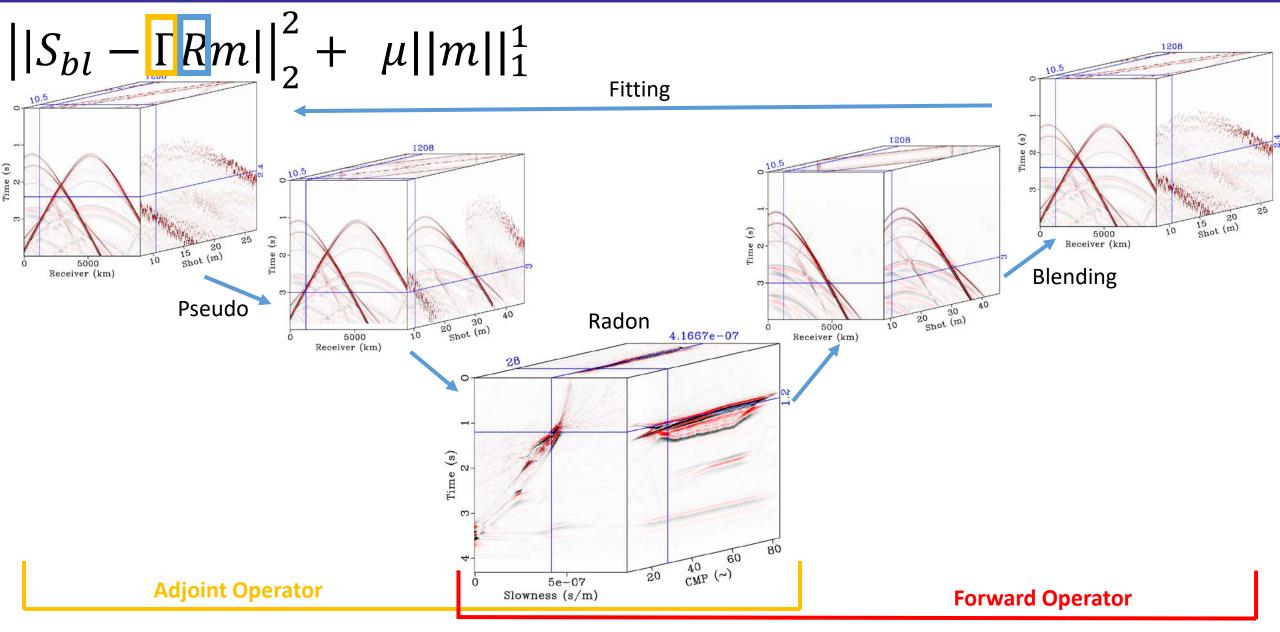
Radon Inversion

$$\left| S_{bl} - \Gamma R m \right|_{2}^{2} + \mu \left| |m| \right|_{1}^{2}$$

Denoising – sparse radon transform



Sparse Inversion





Events are centered

Dipping and complex geometries are centered for the most part with no shifted apexes

Radon operator

Relatively simpler, just hyperbolic instead of apex shifted Reduces computational time

3D data is normally sorted into CMP bins for processing



Traces per CMP not consistent

Traces per CMP varies based on location within survey Very few traces at the edges

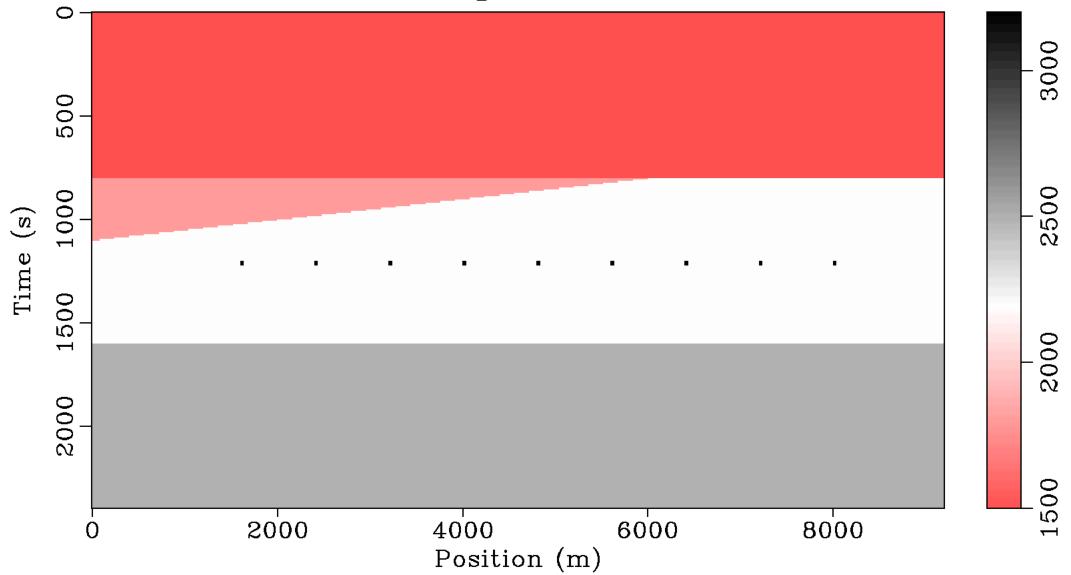
Aliasing

CMP domain has worse sampling interval compared to receiver/domain

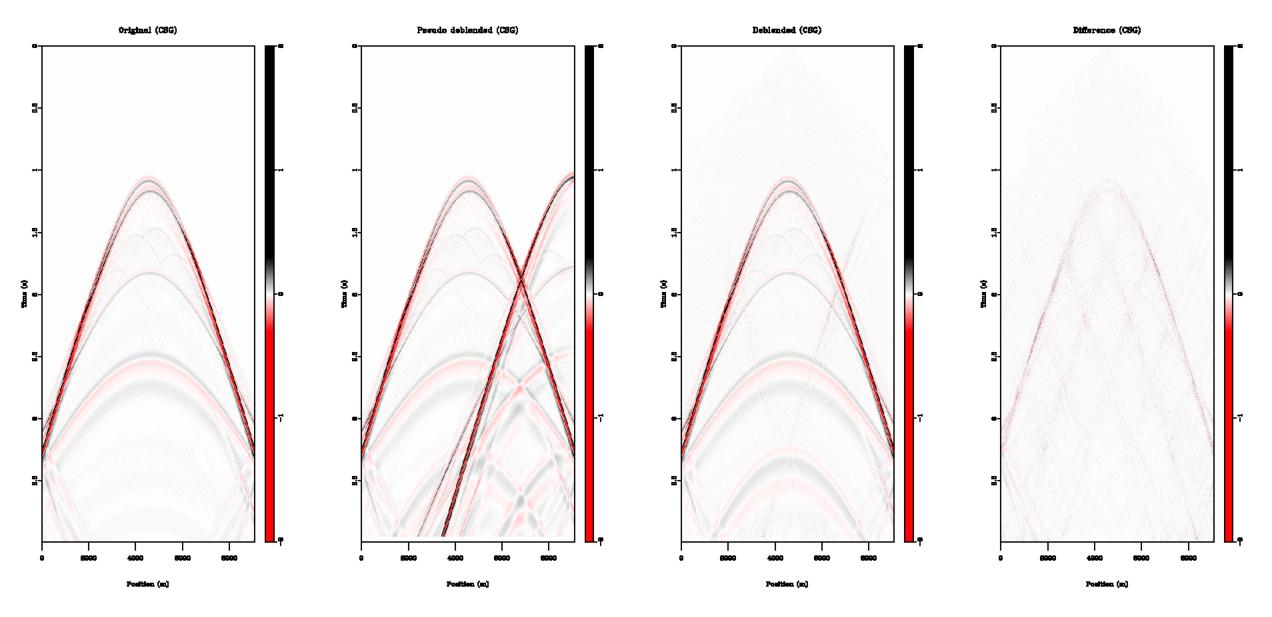
High likelihood events will be aliased

Results – Wedge Model

Wedge model

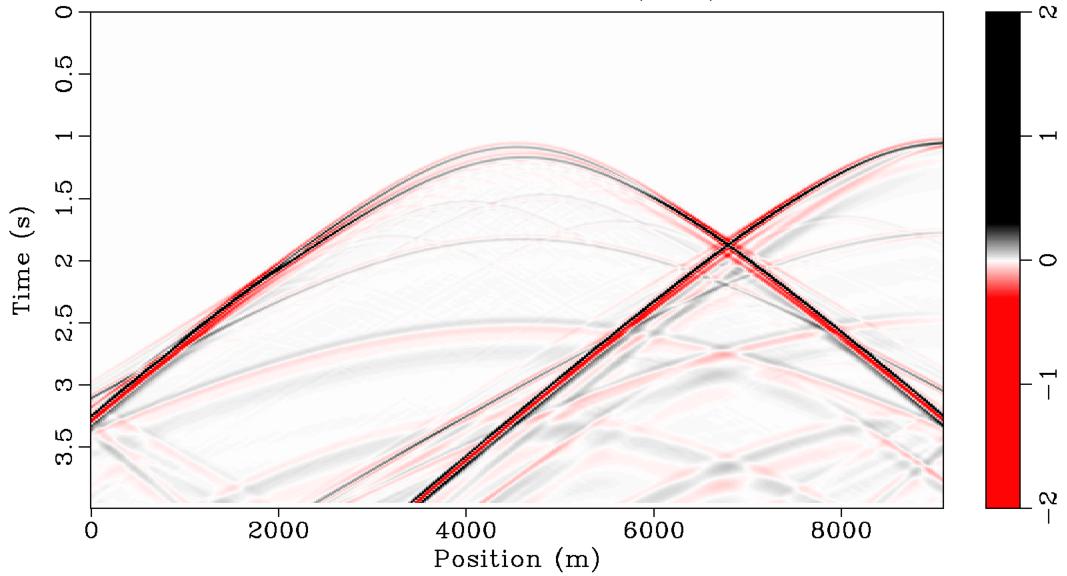


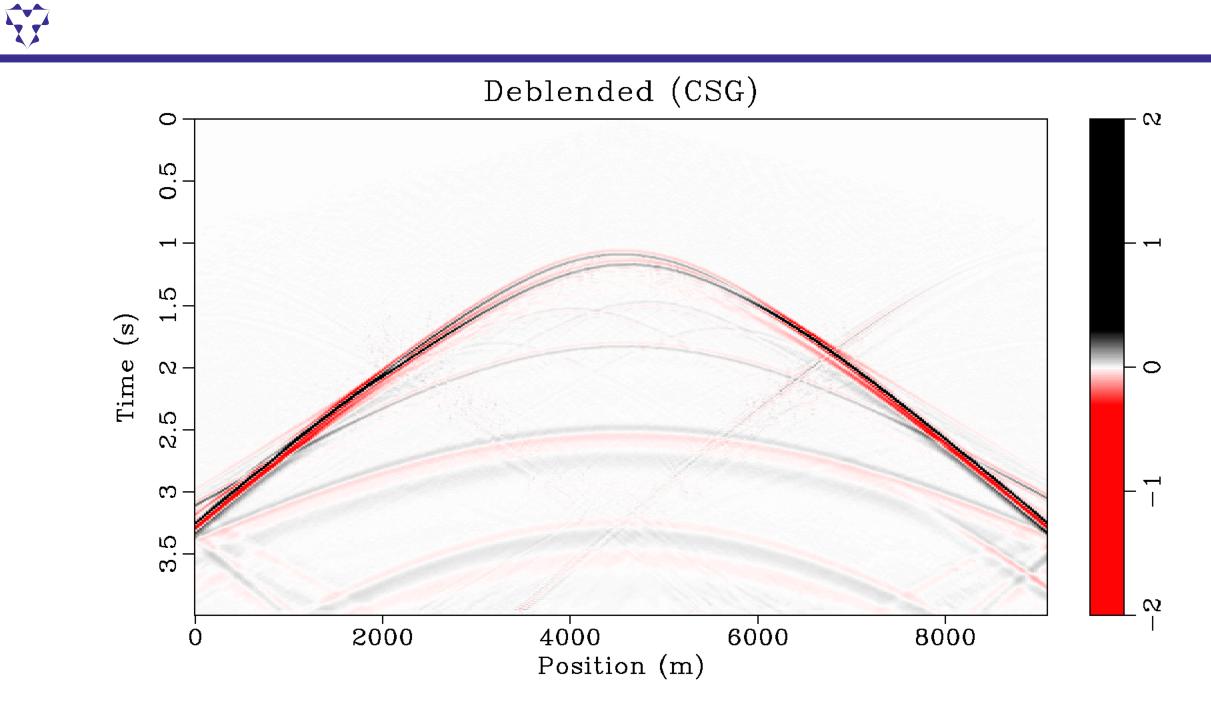
Results – Wedge Model





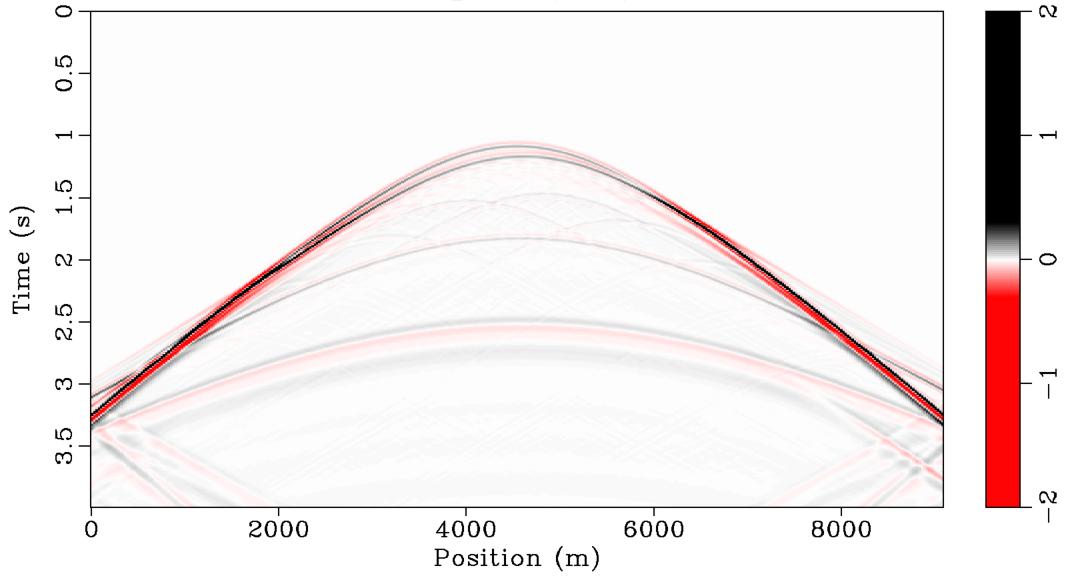
Pseudo deblended (CSG)





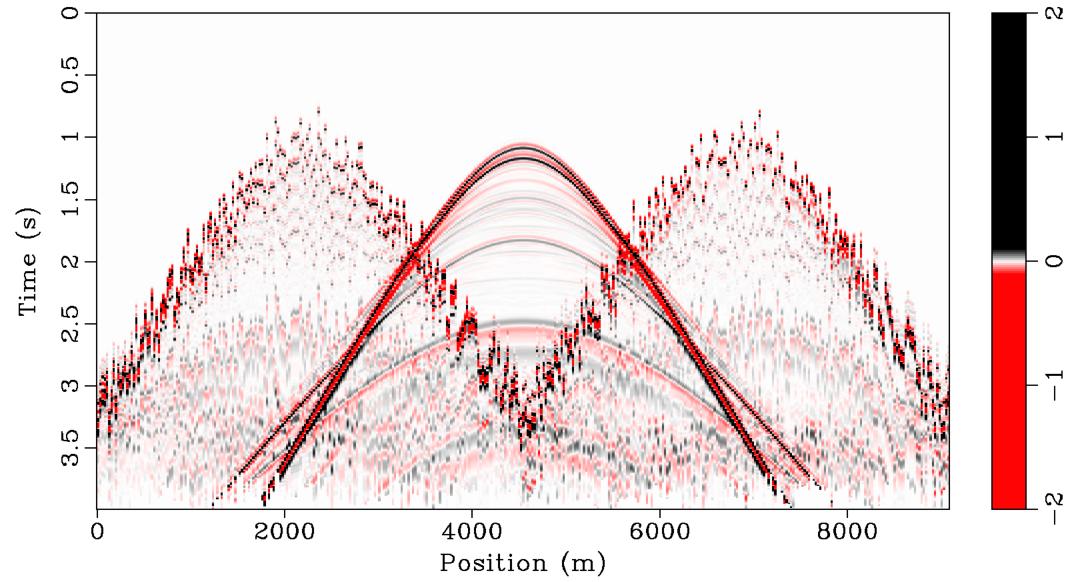


Original (CSG)





shots

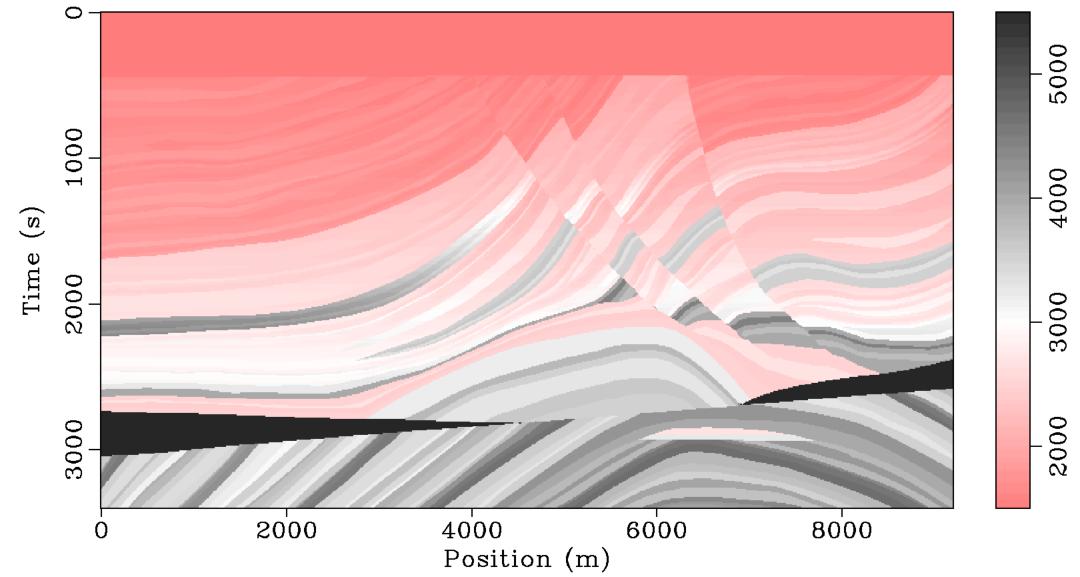




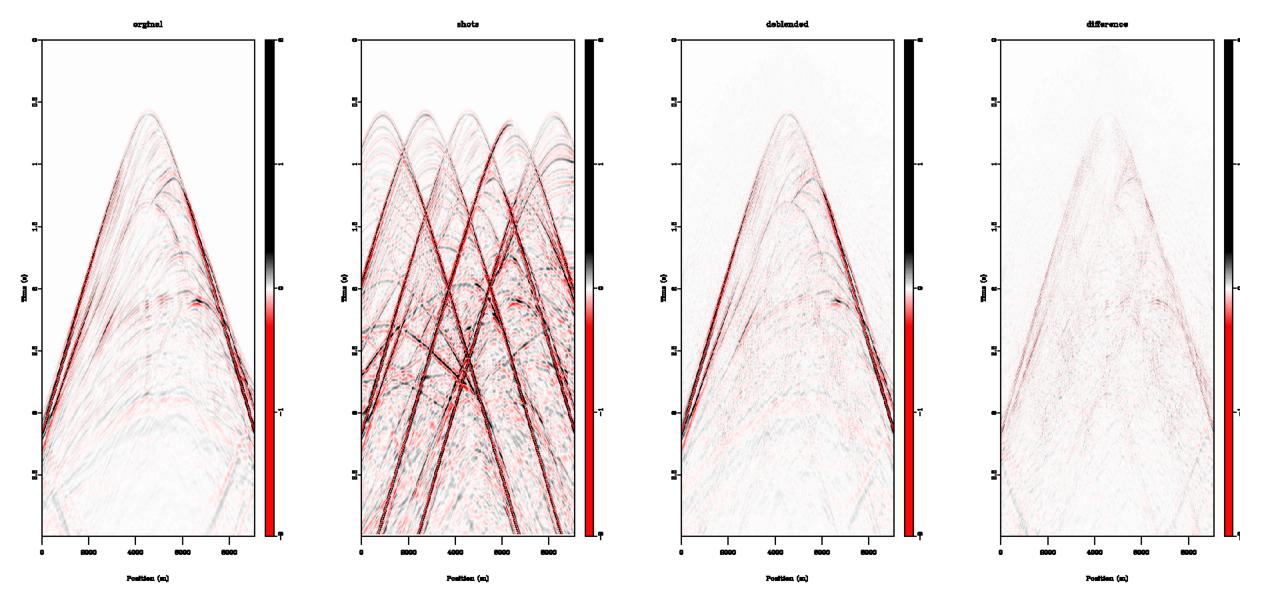
deblended 2 0 0.5 ß Time (s) ----**№** – - 0 က <u></u> က · 3.5 2 4000 6000 8000 2000 0 Position (m)

Results - Marmousi

MarmousiExtended

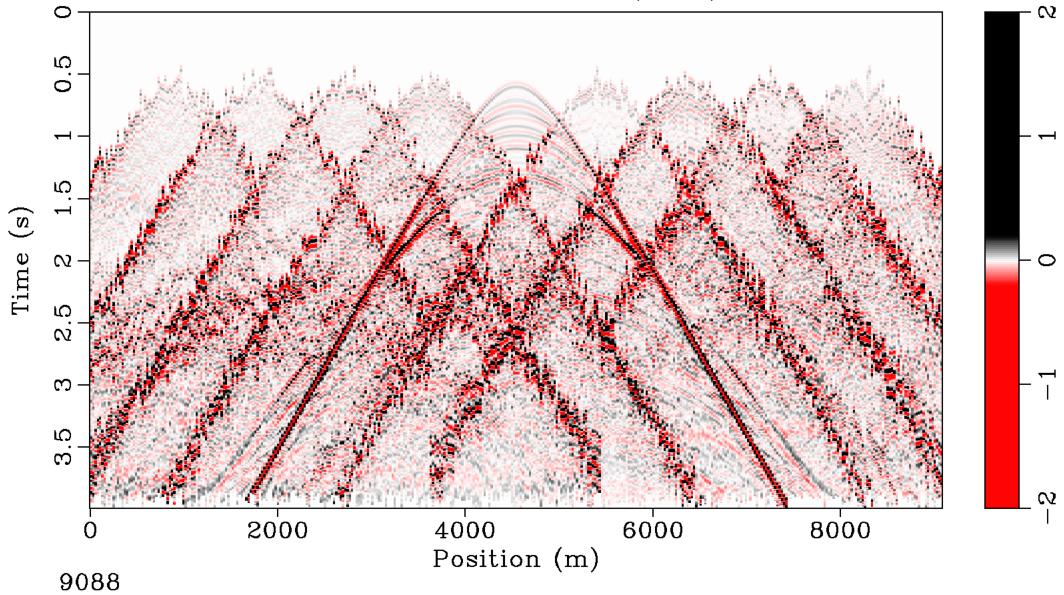


Results - Marmousi





Pseudo deblended (CMP)



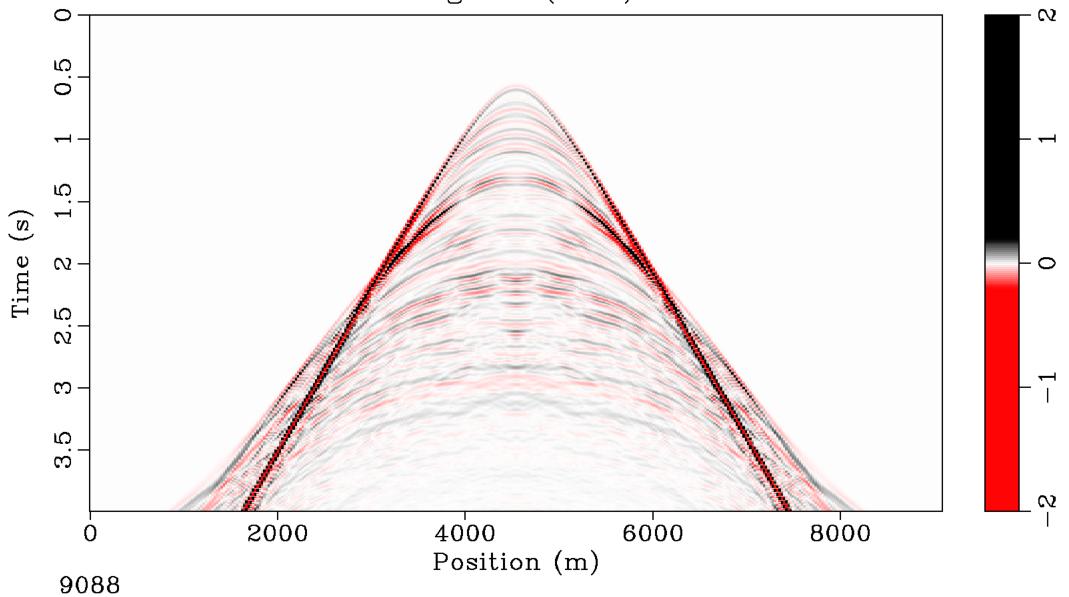


Deblended (CMP) 2 0 0.5 ß (s)Time സ -- 0 2.5 က -3.5 N 4000 8000 60'00 2000 0 Position (m)

9088

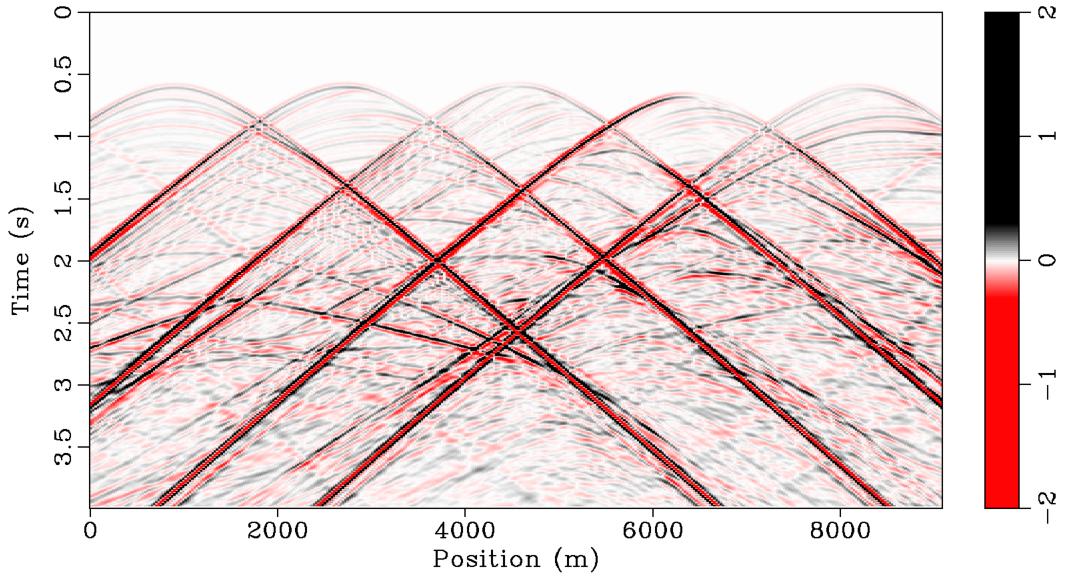


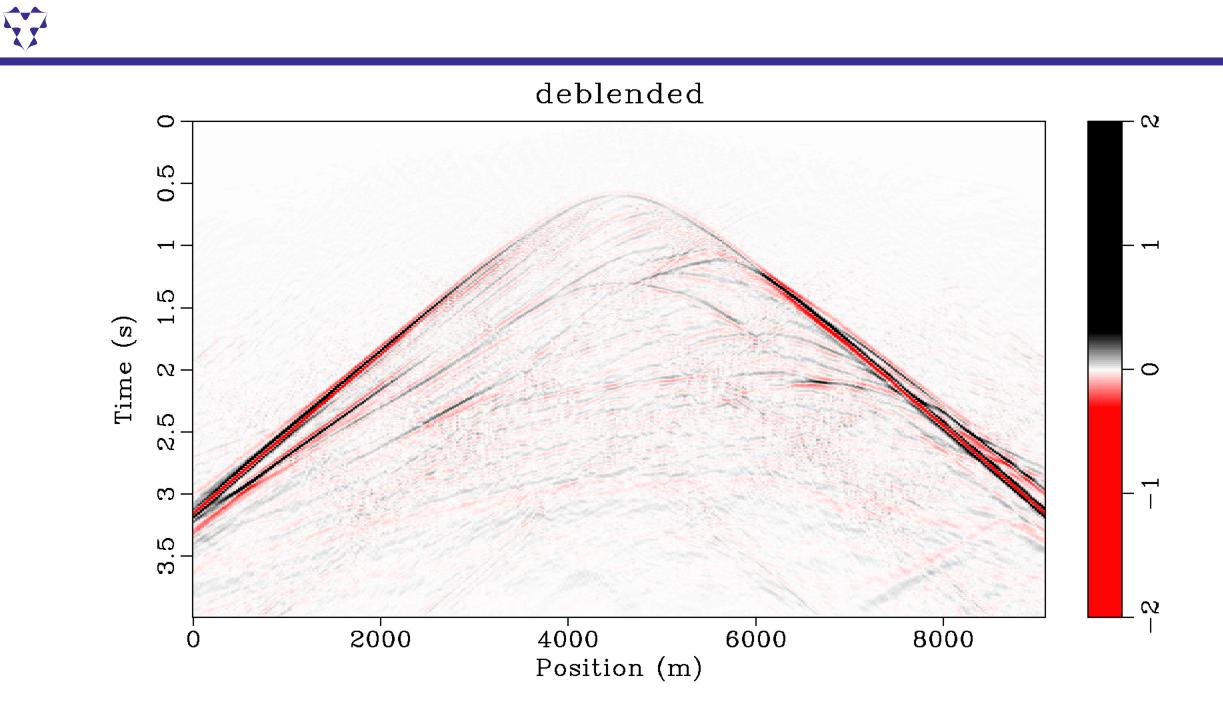
Original (CMP)





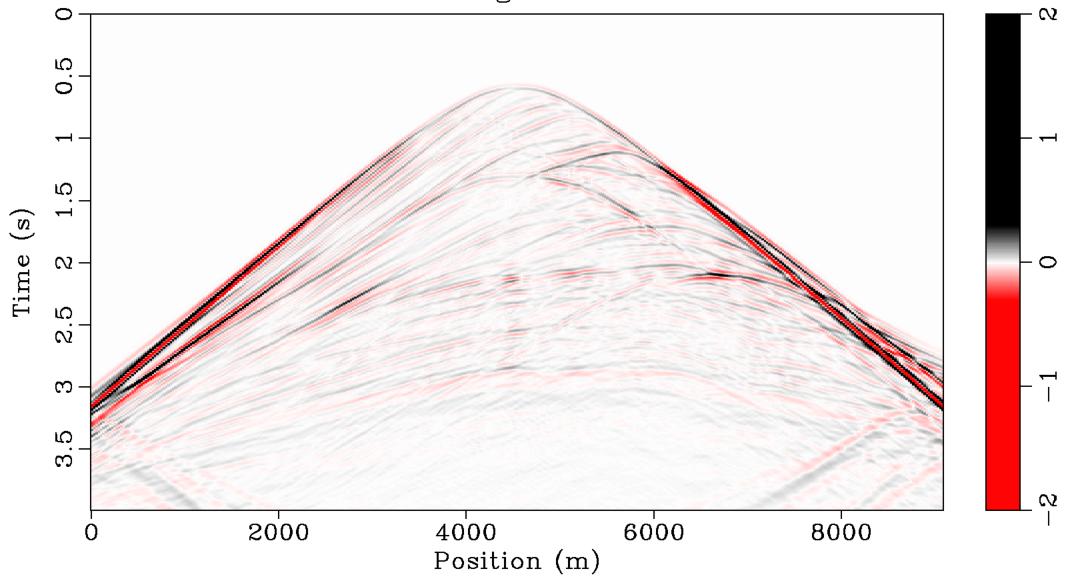
shots







orginal





Extend Radon deblending to 3D applications First need to find best high efficiency operator outlined below

Hybrid Radon transform

Using a hybrid linear-hyperbolic radon to map ground roll and direct arrivals as well as reflections for separation

Local windowing using linear radon

To deal with amplitude issues with diffractions using local instead of global helps preserve low amplitude events